## Mathematics Entrance Exam Syllabus for 10+ Entry to City of London School

There will be one paper, lasting $3 / 4$ hour. Candidates can write in either pencil, blue or black ink. They will need a ruler. Calculators are not allowed.

The exam will be based on the topics below.

## Number

Whole numbers: reading, writing, ordering; adding and subtracting 3-digit numbers; multiplying and dividing 2 -digit numbers by 1 -digit numbers; multiplying by $\mathbf{1 0}$ or 100 ; solving problems involving such multiplication or division; place value; rounding numbers to the nearest whole number, or nearest 10 , or 100 ; checking that results are reasonable by estimation, or by referring to their knowledge of the context.
Using decimal notation to 2 decimal places, especially in context of money and measurement, including addition and subtraction. Ordering decimals given to 3 decimal places. Understanding and using simple fractions and percentages in context.
Understanding and using the words 'square', 'cube', 'multiple', 'factor'. Candidates should know the square roots of the numbers $1,4,9,16,25, \ldots, 100$. Recognising, describing, and continuing simple number patterns and sequences. Using simple formulae expressed in words. Using coordinates in the first quadrant.

## Shape, space and measures

Estimating length, area, volume, time, mass (often called 'weight') in familiar units. Reading a scale, such as a thermometer or speedometer. Appreciating the relationship between units such as millilitres and litres. Finding perimeters of simple shapes; finding areas by counting squares, including approximating when necessary; finding volumes by counting cubes in isometric drawings. Sorting 2-D and 3-D shapes in various ways, giving reasons. Reflecting simple shapes in mirror lines. Constructing (with reasonable accuracy) simple 2-D shapes from given information. Understanding and using the phrase 'right angle' and the words 'triangle', 'square', `pentagon', 'hexagon', 'rectangle', 'circle', 'cube', 'cuboid', 'cylinder', 'sphere'. Understanding and using the eight points of the compass. Following instructions to locate places on maps.

## Handling data

Handling data: tally tables, bar charts, pictograms, frequency diagrams, decision trees, time tables and other tabulated information; finding and using the mode and range of a set of data; grouping data; the language associated with probability (certain, likely, unlikely, impossible, fair, unfair). Drawing and using simple line graphs (such as a conversion graph, or a graph showing a patient's temperature).
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## City of London School

# SPECIMEN 10+ ENTRANCE EXAMINATION MATHEMATICS 

## GROUP 1 TIME: 45 minutes

Answer as many questions as you can in the spaces provided. Show all your working clearly. Be careful not to spend too long on any one question.
You will need a ruler and pencil (or pen).
No calculators are allowed.
No spare paper will be provided.

1. a) Write down all the whole numbers you can find which will divide exactly into 36 :
$\qquad$
b) Which two numbers multiply to give you 36 but add to give you 13 ?
c) Which two numbers multiply to give you 36 but have a difference of 9?
2. 

Work out
a)
b)

| 7 | 4 | 8 |
| :--- | :--- | :--- |
| 5 | 9 | 7 |


| 6 | 9 | 5 |
| :--- | :--- | :--- |
| 4 | 5 | 8 |

c)

| $8 \quad 6$ |
| ---: |
| $\times \quad 7$ |

3. Fill in the missing spaces in the following patterns
a) 14 , $\qquad$ 28, 35, $\qquad$
b) $\quad 17, \quad 14$, $\qquad$ 8,
c)
0.5 $\qquad$ 2,

8, 16
d) 256,64 , $\qquad$ 4, 1, $\qquad$
4. Sarah buys 15 m of dress material. She uses 4.39 m on her dress, 3.44 m on her skirt, 47 cm on a scarf and 4 cm on a ribbon.

How many centimetres of material will she have left?
$\qquad$
5.


The diagram shows a small rectangle of 2 m by 1 m and a large rectangle of 4 m by 3 m . They are not drawn to scale.
a) How many of the small rectangles will fit into the larger one?
b) The larger rectangle is now stretched to fit 9 small ones into it. The length of 3 m is kept the same.

How much longer must we make the other side?
6. In a class of 24 boys 2 walked to school

4 cycled
a larger number travelled by train
the London Underground was the most popular form of transport


The pie-chart shows this information but it is not complete.

Write in the other two forms of transport.
a) How many boys travelled by train?
b) How many boys used the London Underground?
c) What fraction of the boys cycled to school?
7. Copy these words as they would look on the other side of the mirror. Three the letters have been done for you.

Mirror

8. $4,5,6$ are consecutive numbers. Their sum is 15 and they multiply to give 120.
a) Find three consecutive numbers which have a sum of 60 .
b) Find three consecutive numbers which multiply to give 60 .
9. Fill each space with a figure that will make the answers correct
a)

b)

c)

10. a) i) What fraction of a day is 6 hours?

Simplify your answer as much as possible.
ii) What fraction of a 7 day week is 6 hours? Simplify your answer as much as possible.
b) An examination is to last 1 hour 15 minutes. It starts at 11.27am.

When does it finish?
11. Use your ruler to measure in centimetres the lengths of the lines marked $\mathrm{P}, \mathrm{Q}$ and R .

P $\qquad$ $\mathrm{Q}=$

R $\qquad$
12.


The shape above is made up of 2 cm cubes loosely stacked in a corner of a room.
a) How many cubes are there?
b) How many more would you need to make a 10 cm by 10 cm by 10 cm cube?
13. a) Paul wants to give a present of one stamp, one coin and one sweet to Mark. Paul has two different stamps, two different coins and two different sweets to choose from. How many different ways can he make up the present?
b) Paul changes his mind. He decided to give just two coins instead.

How many ways could Paul do this?
14. Simon concentrates in class fora of the time while Stephen does so for $70 \%$ of the time. Samuel concentrates for 3 of the time and Saul does so for point eight of the time.
a) Which boy concentrates the most?
b) Which boy concentrates the least?
15. The diagram below shows the end of a dice game that James was playing. He can throw anything from 1 to 6 .
To win, his throw must lead him to land exactly on the Win square.

| 93 |  |  |  |
| :---: | :---: | :---: | :---: |
| $\begin{gathered} \text { Go on } \\ \text { to } \\ 99 \end{gathered}$ |  |  |  |
| 95 |  |  | Win |
| Go <br> back $\text { to } 83$ | 97 | Go <br> back <br> to 95 | 99 |

List the ways that James can finish to win in exactly two throws if he is on
a) square 97
b) square 93
16. a) i) How many small squares of width 2 cm can I cut out of a large square of width 4 cm ?

ii) How many small cubes of width 2 cm can I cut out of a large cube of width 4 cm ?

$\qquad$
iii) How many small triangles of width 2 cm can I cut from a large triangle of width 4 cm ?
17.

a) Which of the numbers above are prime numbers?
b) Which of the numbers above are multiples of 3?
c) Which of the numbers are square numbers?
18. Here is a timetable of a certain space flight:
a)

| 6.22 am | Blast Off |
| :--- | :--- |
| 6.37 am | Space Craft goes into Orbit |
| 7.41 am | First Orbit Completed |

The second orbit takes three minutes less than the first.
The third takes two minutes less than the second.
The fourth takes one minute less than the third.
After the fourth orbit the craft falls to earth in 38 minutes.
At what time did the craft
a) Complete the second orbit?
b) Complete the third orbit?
c) Touch down?

19. Find all the three digit numbers for which the sum of the digits equals 25 .

## Find of Exam

$42, \quad \underline{t}=6,9 \quad 2.1 \mathrm{~g}$, It
(c-,)
$\underline{1}^{31} \underline{\underline{4}}=\underline{5} \quad\left(\mathrm{I}^{\prime}\right) \quad 1731$ (C) $\underline{\mathbf{t}}^{\underline{0} \underline{Z}}$
7 - ()
(k) 357 4-2,
, 5
(c,) 0,5, I 2 , 4-, g L6
(d) $2.1: 5 t$,
t6
tr. if-37 4. Ttf-4=: $47^{4-}$ 4- $834 \cdot 1 \mathrm{c}$.
1, 500
5_ (R.)
1,3
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11,
13. (a) $2 \times 2 \times 2$
(b) 1
14. (a) Sand
(b) Samuel

$$
\left[\begin{array}{l}
3 / 4=0.75 \\
70 \%=0.7 \\
2 / 3=0.666
\end{array}\right]
$$

(..) ti5 or 2,1.
11) $\underline{J}_{2}!$ $\qquad$
rr
C-F. 4,
t'k) (i) $\quad g(14, ~ t$
LT_ 14 2-, 5. 7, II '2-3
(b) 62, t2 U_g
(c) L $\qquad$
Lg., L

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I_{s t} \text { orbit }=1 h_{r} 4 \mathrm{mins}
$$

$$
2 \mathrm{md} \text { orbit }=1 \mathrm{hr} 1 \mathrm{mmin}
$$

$$
\text { 3rd orbit }=59 \text { mins }
$$

$$
4 \text { he orbit }=58 \mathrm{mins}
$$

(a) 8.42 am
(b) 9.41 am
(c) 11.17 mm

$$
\left.\left.\underline{1}^{\prime}\right)\right) \quad \underline{\mathrm{V}}
$$

27.7,
y77-

|  | $\mathrm{L}, \mathrm{g}$ |
| ---: | :--- |
|  |  |
| (b) $\quad-\quad 102$ |  |

